## Mohamed Khider University of Biskra

Faculty of Exact Sciences and Natural and Life Sciences

Department of Mathematics / Computer science

Module: Machine Structure 1 Level / Year: L1 (2023/2024)

# Assignment N° 1 Introduction and numeral systems

**Questions:** Explain the following concepts: computer science, information, computer, Bit, Byte, weight of bits, Hertz, bandwidth (broadband speed) Bit p/second, bps, binary number, the most significant bit and the least significant bit of a number, numeration system, octal and hexadecimal number, microprocessor, ALU, control unit, central memory, operating system.

### Exercise 1:

- 1. How many bytes are 32 bits?
- 2. In the following byte: (10001101)<sub>2</sub>, what is the most significant bit and the least significant bit?
- 3. How many values can we represent using 1 Byte, and in 10 bits?
- 4. What is the minimum number of bits required to represent numbers between 0 and 4096?
- 5. Complete the following table. The decimal numbers are unsigned:

Decimal	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Octal																
Hexadecimal																
Binary																

## Exercise 2 :

- 1. Convert the following numbers to base 10: (562)<sub>8</sub>, (110111)<sub>2</sub>, (3EB8)<sub>16</sub>, (3213.13)<sub>4</sub>, (1101.1101)<sub>2</sub>
- 2. Convert the decimal number X = 327 to base 2, 7, 8, and 16.
- 3. Convert the decimal numbers X=54.8125 and Y=15.210 to binary system.
- 4. Consider the number  $Y = (11010110101)_2$ , Convert the number Y directly to base 4, 8, 16 without passing by the base 10.
- 5. Convert directly to base 2 (do not use the division procedure) the numbers:  $X = (1323)_4$ ,  $Y = (3765)_8$ ,  $Z = (AB1F9)_{16}$ .

#### Exercise 3 :

- 1. Perform (carry out) the following arithmetic operations:
  - base 8 : 132 + 134 ; 132 + 316 ; 337-155
  - base 16 : F2C + 4C3 ; F2C 45E
  - base 2 : 100101+101 ; 11011 + 1011 ; 1011101 10111
- 2. Perform the following binary arithmetic operations (base 2) :
  - 10101101 \* 1000 ; 101011110 \* 101 ; 10111011 \* 1101
  - $10101101 \div 10$  ;  $101011110 \div 110$  ;  $10111011 \div 101$

#### Exercice 4 :

- 1. Achieve the following conversions:
  - 64 bytes = .....bits
  - 2 Terabyte = ...... Gigabyte=..... Megabyte

  - 512 Kbit/s = .....byte/s = .....byte/s.
  - 2,4 GHz = ..... Hz
- 2. What is the necessary time to download a file of 1 Megabyte using a network of 1 Mbit/s ?

#### Exercise 5:

Given the numbers A, B et C : A= (7365)<sub>8</sub>, B=(2DB,5)<sub>16</sub>, C=(101110100110,1001)<sub>2</sub>

- 3. Convert A to base 16 and convert B to base 8 without using the base 10?
- 4. Convert C to base 8 without passing by the base 10?
- 5. Perform the operation B+C, in base 2?
- 6. Compute the following operation A+C, in base 8?
- 7. Calculate the number B+C et A+C in base 10 ?
- 8. carry the following operation A+B, in base 16, and in base 8?

#### Exercise 6:

- 1. Represent the decimal numbers X, Y, Z in base a (a is an integer: a>1) X= a, Y=  $a^2$ , Z= $a^3$ .
- 2. Consider the decimal number  $D = 4a^5 + 2a^3 + a + 5$ , such as: a is an integer (a>5). Represent D in base a.
- 3. Give the 5 integer numbers following  $(7FC)_{16}$

**Exercise 7 :** Carry the following transformations:

- 1-  $(2019)_{10} = (?)_2$ ;  $(269)_{10} = (?)_2$ ;
- 2-  $(1011001111101)_2 = (?)_8 = (?)_{10} = (?)_{16}$
- 3-  $A = (2AE62)_{16} = (?)_8$ ;  $B = (6571)_8 = (?)_{16}$
- 4- Realize the following operation A+B, A-B, in base 16, in base 8 and in base 2?

**Exercise 8** : Do the following conversions:

- 1. Base 10 to base X :  $(69)_{10} = (\ldots)_7$   $(145)_{10} = (\ldots)_2$   $(251)_{10} = (\ldots)_{16}$
- 2. Base X to base  $10: (243)_6 = (\dots)_{10}$   $(1453)_8 = (\dots)_{10}$   $(324)_5 = (\dots)_{10}$
- 3. Base 2 to base 8 : 110100 , 10011101 , 11010100
- 4. Base 8 to base 2 : 26 , 150 , 1734
- 5. Base 2 to Base 16 : 11011000 , 100101011100 , 101010101
- 6. Base 16 to Base 2:4BF , 6C2 , A6E

Knowing is not enough; we must apply. Willing is not enough; we must do.

To appreciate the beauty of a snow flake, it is necessary to stand out in the cold.  $T_{i} = \int_{-\infty}^{\infty} \int_{-$ 

Try and fail, but don't fail to try.