

Acids and bases

I. Definitions of acids and bases

1. According to Arrhenius (1887)

Acid: We call acid any substance capable of releasing H^+ protons .

Notation : An acid is generally noted by **HA**



Base: We call base any substance capable of releasing OH^- ions.

Notation : a base is generally noted by **BOH** or **B**

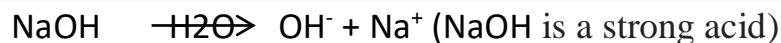


Example :

1) CH_3COOH and HCl are acids



2) $NaOH$ is a base



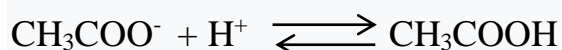
2. According to Bronsted-Lowerry (1923)

Acid: We call acid any substance capable of releasing H^+ protons .

Base: We call base any substance capable of capturing H^+ protons.

Example :

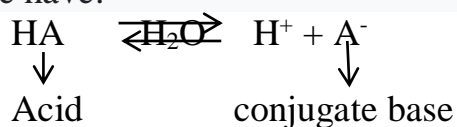
CH_3COO^- is a base



Concept of conjugated acid and base

Let HA be a weak acid

We have:



To every HA acid corresponds a conjugate base A⁻

Example :

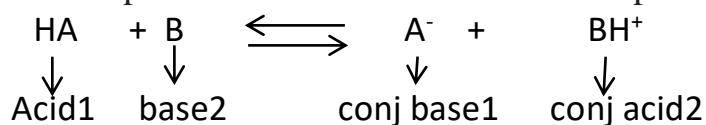
The conjugate base of CH₃COOH is CH₃COO⁻ and we write:

acid/conjugate base = CH₃COOH/CH₃COO⁻

Remark

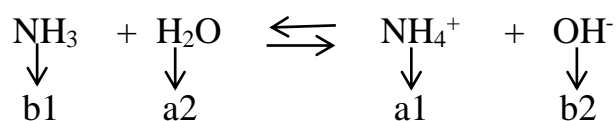
H⁺ cannot exist in the free state , therefore an HA acid can only release an

H⁺ proton if it is in the presence of a base B which can capture it.



To every pair [acid/ conj base]₁ corresponds a pair [acid/base conj]₂

Example :



Concept of ampholyte compound

The H₂O molecule behaved in example 1 as a base and in example 2 as an acid for this reason H₂O is called an ampholyte compound.

Definition of ampholyte compound

Ampholyte is a compound that can behave as acid and as a base.

3. According to Lewis

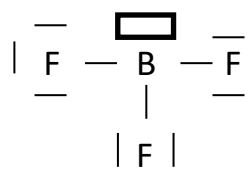
Lewis gave a generalized definition of acid and base, it was extended even to non-hydrogenated compounds.

Acid: We call acid any substance which accepts electronic doublets.

Base: We call base any substance donor of electronic doublets.

Example :

1) BF_3 is an acid

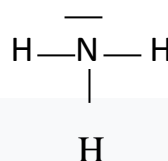


Boron has a vacant cell in which an electronic doublet can be located.

2) H^+ is an acid

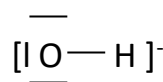


3) NH_3 is a base



Nitrogen has a free doublet

4) The compound ion OH^- is a base



O has 3 free doublets

II. Equilibrium constant:

Let be the equilibrium : $a\text{A} + b\text{B} \xrightleftharpoons[v_2]{v_1} c\text{C} + d\text{D}$

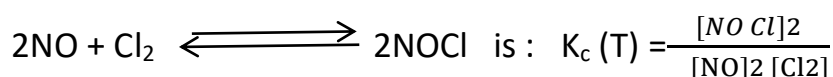
$V_1 = -k_1 [\text{A}]^a [\text{B}]^b$ (Expression's speed of the direct reaction)

$V_2 = -k_2 [\text{C}]^c [\text{D}]^d$ (Expression's speed of the indirect reaction)

at equilibrium: $V_1 = V_2 \longrightarrow -k_1 [\text{A}]^a [\text{B}]^b = -k_2 [\text{C}]^c [\text{D}]^d$

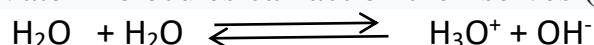
from where : $\frac{k_1}{k_2} = \frac{[\text{C}]^c [\text{D}]^d}{[\text{A}]^a [\text{B}]^b} = k_c(\text{T})$ ($k_c(\text{T}) =$ equilibrium constant)

Example : The equilibrium constant corresponding to the reaction :



1. Water dissociation equilibrium

Water molecules can act on themselves (self-dissociation of water)



And the expression of the equilibrium constant corresponding to this

reaction is given by : $K_c(T) = \frac{[\text{H}_3\text{O}^+][\text{OH}^-]}{[\text{H}_2\text{O}]^2}$

At $T = 25^\circ\text{C}$ $K_c(25^\circ) = 3,24 \cdot 10^{-18}$ so the water is very weakly dissociated.

$[\text{H}_2\text{O}] = \text{constant}$ and $[\text{H}_2\text{O}] = \frac{1000}{18} / \text{l} = 55.5 \text{ mol/l}$, so we can write :

$$[\text{H}_3\text{O}^+][\text{OH}^-] = K_c(T) \cdot [\text{H}_2\text{O}]^2 = 10^{-14} = K_w$$

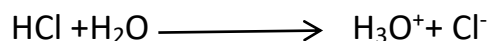
(K_w is called the ionic product of water)

2. Acid dissociation equilibrium

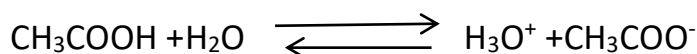
Ionic dissociation can be total or partial and depending on the case, the electrolytes (compounds which dissociate in the presence of water) are said to be strong or weak.

Example :

1) HCl in water is a strong electrolyte

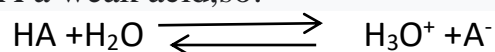


2) CH_3COOH in water is a weak electrolyte



a) equilibrium constant of an acid (acidity constant)

Let be HA a weak acid, so:



$$K_c(T) = \frac{[\text{H}_3\text{O}^+][\text{A}^-]}{[\text{H}_2\text{O}][\text{HA}]}$$

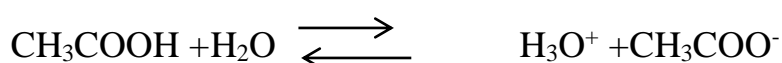
Water, in excess, has a concentration which practically does not vary, so $[H_2O]$ is constant.

$$\text{Therefore } [H_2O].K_c(T) = \text{constant} = \frac{[H_3O^+][A^-]}{[HA]} = k_a$$

k_a is called acidity constant, it is characteristic of acid

Example :

Write the expression of the acidity constant of CH_3COOH in water.



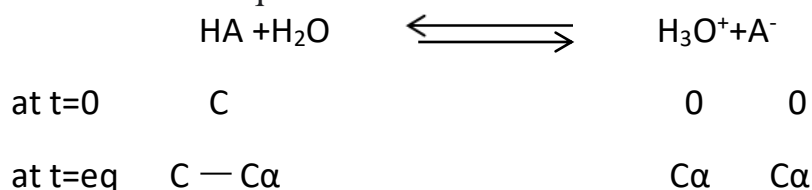
Answer : $k_a = \frac{[H_3O^+][CH_3COO^-]}{[CH_3COOH]}$

b) Ionic dissociation coefficient or degree of ionization (α)

In addition to the equilibrium constant K_a , the dissociation of an acid can be characterized by a coefficient noted α defined as follows:

$$\alpha = (\text{number of moles dissociated})/(\text{number of initial moles})$$

if α represents the degree of ionization of an HA acid of concentration C, we can represent the evolution of the dissociation reaction of the acid from $t=0$ until equilibrium as follows:



C: initial number of moles

$C\alpha$: number of moles dissociated at equilibrium

$C - C\alpha$: number of undissociated moles at equilibrium

$$K_a = \frac{[H_3O^+][A^-]}{[HA]} = \frac{C\alpha \cdot C\alpha}{C - C\alpha} = \frac{C\alpha^2}{1 - \alpha}$$

Remarks:

α : ionized fraction

if $\alpha = 1$ the acid is totally dissociated

if $\alpha = 0$ the acid is not dissociated

if $0 < \alpha < 1$ the acid is partially dissociated

c) Oswald's law of dilution

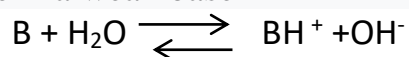
As seen previously :
$$K_a = \frac{C \alpha^2}{1-\alpha} \longrightarrow ka/c = \alpha^2/1-\alpha$$

When $C \searrow$ the ratio $ka/c \nearrow$ so $\alpha \nearrow$

Dissociation is said to increase with dilution: **Oswald's Dilution Law**

3. Base dissociation equilibrium

Let be B a weak base



With the same manner done with the acids, we obtain:

$$K_b = \frac{[BH^+][OH^-]}{[B]}$$

K_b is called basicity constant, it characterizes the base

Example:

Write the expression of the constant of basicity of NH_3 .

Answer: We have $NH_3 + H_2O \rightleftharpoons NH_4^+ + OH^-$

$$\text{so } K_b = \frac{[NH_4^+][OH^-]}{[NH_3]}$$

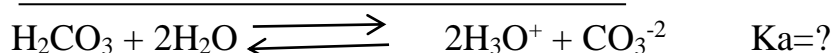
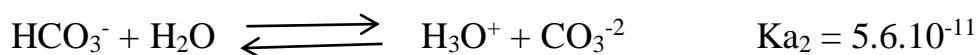
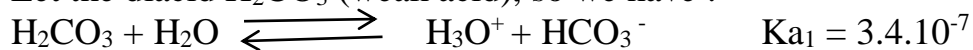
Remarks

1. K_a and K_b depend on the temperature and the nature of the solvent.
2. K_a and K_b are always characteristic constants of acids and bases at a given temperature and with a known solvent.

3. Polyacids and polybases are characterized by the equilibrium constants K_{a1} , K_{a2} ... of the first and second ...dissociations of the acid and the same for the base K_{b1} , K_{b2} ...

Example:

Let the diacid H_2CO_3 (weak acid), so we have :



Calculate the equilibrium constant characterizing of the pair H_2CO_3/CO_3^{2-} .

Answer:

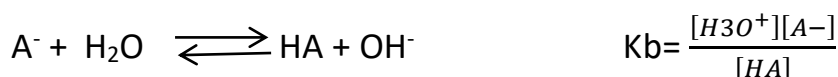
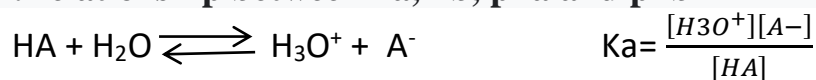
$$K_a = \frac{[CO_3^{2-}][H_3O^+]^2}{[H_2CO_3]} = \frac{[HCO_3^-][H_3O^+]}{[H_2CO_3]} \cdot \frac{[CO_3^{2-}][H_3O^+]}{[HCO_3^-]} = k_{a1} \cdot K_{a2}$$

SO $ka = ka1 \cdot ka2 = 2.4 \cdot 10^{-17}$

Remark

The constants K_a and K_b characterize the strength of the electrolyte, but on a practical level it is preferable to use more convenient quantities which are denoted pka and pkb such as: **$pka = -\log ka$ and $pkb = -\log kb$**

4. relationship between ka , kb , pka and pkb



We have: $K_a \cdot K_b = [H_3O^+] \cdot [OH^-] = k_w$

Where b corresponds to the conjugated base of the acid a .

At $T = 25^\circ C \longrightarrow K_a \cdot K_b = K_w = 10^{-14} \longrightarrow -\log(K_a \cdot K_b) = -\log 10^{-14}$

Which corresponds to : $pK_a + pK_b = 14$

The product $k_a \cdot k_b = \text{constant}$ then $k_a \nearrow \longrightarrow k_b \searrow$

The conjugate of a strong acid is a weak base and vice versa

III. concept of pH

The concept of pH was introduced with the aim of quantitatively measuring the acidity of a solution.

The pH of a solution is defined as follows: $pH = -\log [H_3O^+]$

In the same way we can define the pOH: $pOH = -\log [OH^-]$

Remarks :

1. At $T = 25^\circ C$ $[H_3O^+][OH^-] = 10^{-14}$ then $-\log [H_3O^+][OH^-] = 14$

So : $pH + pOH = 14$

2. The pH of a solution can be measured using the pH meter

3. A neutral medium (pure water) corresponds to:

$[H_3O^+] = [OH^-] = 10^{-7} \longrightarrow pH = 7$

An acidic medium corresponds to

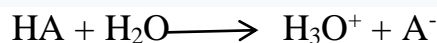
$[H_3O^+] > [OH^-] \longrightarrow pH < 7$

A basic medium corresponds to

$[H_3O^+] < [OH^-] \longrightarrow pH > 7$

1. pH of acids and bases

a. pH of a strong acid

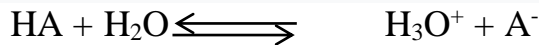


At $t = 0$ Ca 0 0

At t_f 0 Ca Ca

$$pH = -\log[H_3O^+] = -\log Ca$$

b. pH of a weak acid



We have : $k_a = \frac{[\text{H}_3\text{O}^+][\text{A}^-]}{[\text{HA}]} \dots\dots\dots (1)$

And : $[\text{H}_3\text{O}^+] = [\text{A}^-] \dots\dots\dots(2)$

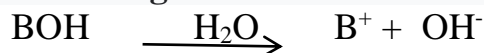
$C_a = [\text{HA}] + [\text{A}^-] \approx [\text{HA}] \dots\dots\dots (3)$ because $[\text{A}^-] \ll [\text{HA}]$

(2) et (3) reported in (1) gives : $k_a = \frac{[\text{H}_3\text{O}^+]^2}{C_a}$

So : $[\text{H}_3\text{O}^+] = (k_a \cdot C_a)^{1/2}$

Then : **pH = 1/2(pKa - logCa)**

c. pH of a strong base



At $t = 0$ Cb 0 0

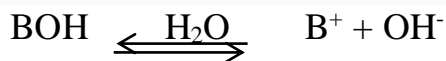
At t_f 0 Cb Cb

We know that : **pOH = -log [OH⁻] = -log Cb**

At $T = 25^\circ\text{c}$ **pH + pOH = 14** \longrightarrow **pH = 14 - pOH**

So : **pH = 14 + Log Cb**

d. pH of a weak base



For a weak base $\text{pOH} = \frac{1}{2}(\text{pKb} - \text{bg Cb})$

And at $T = 25^\circ\text{c}$ **pH + pOH = 14** \longrightarrow **pH = 14 - pOH**

So : **pH = 14 - 1/2(pKb - logCb)**

Note:

as at $T = 25^\circ\text{c}$ $\text{PKa} + \text{PKb} = 14$ $\text{PKb} = 14 - \text{Pka}$

So : **pH = 1/2(14 + pKa + logCb)**

Note:

The **strengths** of an acid and a base **depend on the concentration** of the medium (Oswald's dilution law) and consequently:

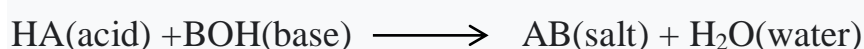
If $K_a/C_a < 10^{-2}$ the weak acid is diluted to the point where it is not strong and the expression of its pH is that indicated in b.

If $K_a/C_a > 10^{-2}$ the weak acid is diluted to the point where it is strong and the expression of its pH is that indicated in a.

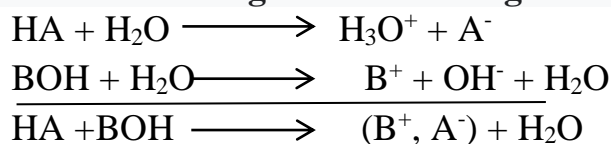
The same reasoning can be done with the case of bases but this time with the ratio k_b/C_b compared with 10^{-2} .

IV. acid-base reaction**1. Salification reaction**

The reaction of an acid with a base produces salt and water.



Several cases can be considered, depending on the strength of the acid and the base strength.

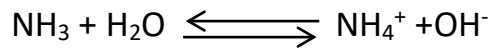
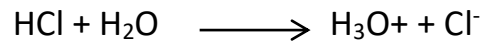
a. pH of a salt from strong acid and strong base

The B^+ and A^- ions play no role and therefore the pH of the medium is that of pure water, i.e. $pH = 7$.

Example:

the pH of a NaCl solution is $pH = 7$ because the NaCl (salt) comes from the reaction between a strong acid HCl and a strong base NaOH.

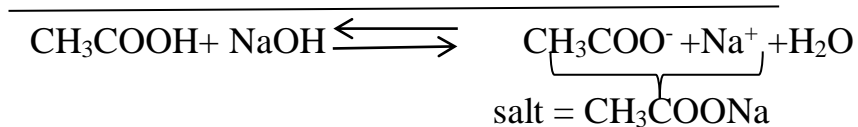
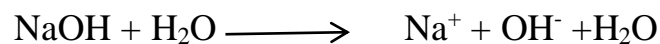
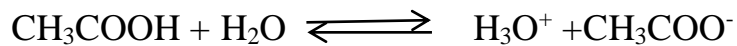
b. pH of a salt from a strong acid and a weak base**Example :**



The Cl^- ions play no role (neutral), on the other hand the NH_4^+ ions react with OH^- coming from the dissociation of H_2O therefore $[\text{OH}^-] \searrow$ and the medium is acidic, so the expression of pH is: **$\text{pH} = \frac{1}{2} (\text{pK}_a - \log \text{CS})$**

c. pH of a solution from a weak acid and a strong base

Exemple :



The Na^+ ions are neutral but CH_3COO^- react with H_3O^+ coming from the dissociation of H_2O therefore $[\text{H}_3\text{O}^+] \searrow$ and the medium is basic, so the expression of pH is: **$\text{pH} = 14 - \frac{1}{2} (\text{pK}_b - \log \text{Cs})$**

2. Tompan solution

a. Definition:

Tompan solution is a solution which has the property of maintaining a constant pH .

b. Properties of tompan solutions

A tompan solution is characterized by its pH.

A tompan solution is obtained by mixing a moderately weak acid or base with its conjugate species.

It can be demonstrated that the pH of a tompan solution is given by the expressio: $\text{pH} = \text{pka} + \log \left(\frac{[\text{base}]}{[\text{acid}]} \right)$.

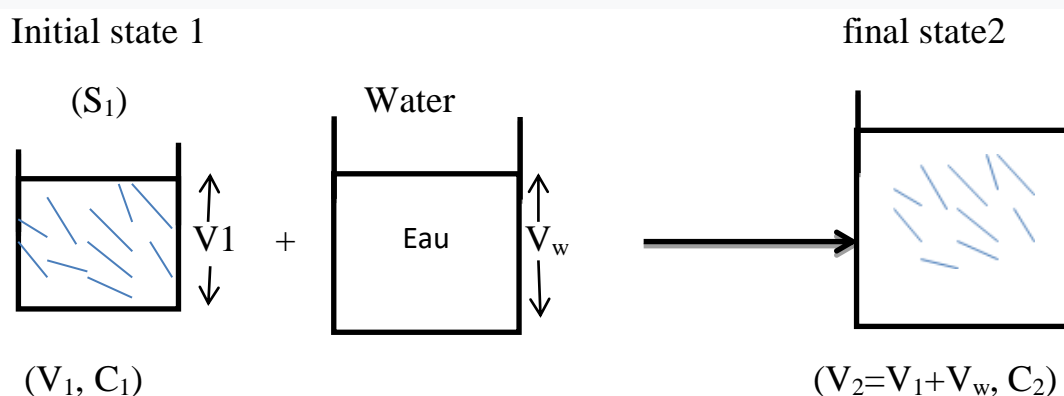
To buffer a medium at the desired pH, the volumes or concentrations of acid or base are varied.

V. dilution and acid-base dosage

1) Dilution

We Consider a solution (S_1) (acid or base) of volume V_1 and concentration C_1 .

To dilute (S_1) is to add a volume of water to Calf in order to obtain a solution (S_2) of volume $V_2 = V_1 + V_w$ and of concentration C_2 such that $C_2 < C_1$.



We have:

quantity of initial solute material = quantity of final solute material

That is to say: $n_1 = n_2 \rightarrow C_1 V_1 = C_2 V_2 \rightarrow C_1 V_1 = C_2 (V_1 + V_w)$

(which is called dilution law) From where : $V_w = \frac{C_1 V_1}{C_2} - V_1$

Application

Calculate the volume of water necessary to add to a volume $V_1 = 20\text{ml}$ of a CH_3COOH solution of concentration $C_1 = 0.5\text{M}$ so that its concentration is 0.25M .

2) the acid-base dosage

The acid-base dosage is the reaction during which an acid reacts with a base to the point where: **number of moles of H^+ = number of moles of OH^-** in order to determine an unknown concentration of the acid or the base.

At this point:

number of equivalents.g of acid = number of equivalents.g of base.

that is to say: $NA.VA = NB.VB$

NA: normality of the acid (eq.g/l)

VA: volume of the acid

NB: normality of the base (eq.g/l)

VB: base volume

Definition of Normality:

It is the number of gram equivalent of solute per liter of solution, it is denoted N and is expressed in gram equivalent per liter (eq.g/l).

Definition of Molarity:

It is the number of moles of solute per liter of solution, it is denoted C or M and is expressed in moles per liter (mole/l).

Relationship between N and C

$N = Z.C$ (Z: acidity or basicity number, N: normality, C: molarity)

Example :

Normal and molar concentrations N and C for the compounds:

HCl, H₂SO₄, H₃PO₄ are linked together by the relationships:

HCl $N=C$; H₂SO₄ $N=2C$; H₃PO₄ $N=3C$